

Factorial MANOVA

- Does basically the same thing as a 1-way MANOVA, except → a separate composite variable (or set of composite variables) is constructed for **each effect** (i.e., each main effect and the interaction).
- Similarly, follow-ups have to be done for each canonical variate, for each effect

For a demo, I'll use the 2x2 with only the first 2 REIN groups from kxkbg_mult.sav
Using MANOVA currently requires the use of syntax code ...

```
manova numcor numtry resptime by rein (1, 2) task (1, 2)      ← list DVs by IV(s) (with min & max grps)
/ print = signif (multiv, univ, eigen, dimenr)                ← gets various goodies
/ discrim stan cor.                                           ← don't forget the period !
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* * * * * A n a l y s i s o f V a r i a n c e -- design 1 * * * * *

EFFECT .. REIN BY TASK
Multivariate Tests of Significance (S = 1, M = 1/2, N = 6)

Test Name	Value	Exact F	Hypoth. DF	Error DF	Sig. of F
Pillais	.78417	16.95548	3.00	14.00	.000
Hotellings	3.63332	16.95548	3.00	14.00	.000
Wilks	.21583	16.95548	3.00	14.00	.000
Roys	.78417				

Note.. F statistics are exact.

Eigenvalues and Canonical Correlations

Root No.	Eigenvalue	Pct.	Cum. Pct.	Canon Cor.
1	3.633	100.000	100.000	.886

EFFECT .. REIN BY TASK (Cont.)
Univariate F-tests with (1,16) D. F.

Variable	Hypoth. SS	Error SS	Hypoth. MS	Error MS	F	Sig. of F
NUMCOR	33.76686	67.62810	33.76686	4.22676	7.98884	.012
NUMTRY	1.36961	471.41013	1.36961	29.46313	.04649	.832
RESPTIME	215.73464	76.66468	215.73464	4.79154	45.02405	.000

EFFECT .. REIN BY TASK (Cont.)
Standardized discriminant function coefficients
Function No.

Variable	Function No.
NUMCOR	1
NUMTRY	-.467
RESPTIME	.044
	.938

Correlations between DEPENDENT and canonical variables
Canonical Variable

Variable	Canonical Variable
NUMCOR	1
NUMTRY	-.371
RESPTIME	.028
	.880

* * * * * A n a l y s i s o f V a r i a n c e -- design 1 * * * * *

EFFECT .. TASK

Multivariate Tests of Significance (S = 1, M = 1/2, N = 6)

Test Name	Value	Exact F	Hypoth. DF	Error DF	Sig. of F
Pillais	.78003	16.54840	3.00	14.00	.000
Hotellings	3.54608	16.54840	3.00	14.00	.000
Wilks	.21997	16.54840	3.00	14.00	.000
Roys	.78003				

Note.. F statistics are exact.

Eigenvalues and Canonical Correlations

Root No.	Eigenvalue	Pct.	Cum. Pct.	Canon Cor.
1	3.546	100.000	100.000	.883

EFFECT .. TASK (Cont.)

Univariate F-tests with (1,16) D. F.

Variable	Hypoth. SS	Error SS	Hypoth. MS	Error MS	F	Sig. of F
NUMCOR	43.22360	67.62810	43.22360	4.22676	10.22619	.006
NUMTRY	96.86760	471.41013	96.86760	29.46313	3.28776	.089
RESPTIME	181.17216	76.66468	181.17216	4.79154	37.81082	.000

EFFECT .. TASK (Cont.)

Standardized discriminant function coefficients
Function No.

Variable	1
NUMCOR	-.575
NUMTRY	-.259
RESPTIME	.850

Correlations between DEPENDENT and canonical variables
Canonical Variable

Variable	1
NUMCOR	-.425
NUMTRY	-.241
RESPTIME	.816

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* * * * * Analysis of Variance -- design 1 * * * * *

EFFECT .. REIN

Multivariate Tests of Significance (S = 1, M = 1/2, N = 6)

Test Name	Value	Exact F	Hypoth. DF	Error DF	Sig. of F
Pillais	.79570	18.17551	3.00	14.00	.000
Hotellings	3.89475	18.17551	3.00	14.00	.000
Wilks	.20430	18.17551	3.00	14.00	.000
Roys	.79570				

Note.. F statistics are exact.

Eigenvalues and Canonical Correlations

Root No.	Eigenvalue	Pct.	Cum. Pct.	Canon Cor.
1	3.895	100.000	100.000	.892

EFFECT .. REIN (Cont.)

Univariate F-tests with (1,16) D. F.

Variable	Hypoth. SS	Error SS	Hypoth. MS	Error MS	F	Sig. of F
NUMCOR	33.79689	67.62810	33.79689	4.22676	7.99594	.012
NUMTRY	169.64191	471.41013	169.64191	29.46313	5.75777	.029
RESPTIME	209.61382	76.66468	209.61382	4.79154	43.74662	.000

EFFECT .. REIN (Cont.)

Standardized discriminant function coefficients
Function No.

Variable	1
NUMCOR	-.521
NUMTRY	-.309
RESPTIME	.859

Correlations between DEPENDENT and canonical variables
Canonical Variable

Variable	1
NUMCOR	-.358
NUMTRY	-.304
RESPTIME	.838

Follow-ups???

- Don't need them for the 2-group main effects -- interpret the canonical variates and you're done
- Need one for the interaction (need to look as simple effects to describe the interaction pattern), so...

Compute $int_1 = (znumcor * -.521) + (znumtry * -.309) + (zresptim * .859)$.

Do the 2x2 ANOVA and then LSD to decide the simple effect pattern (and check on the ME descriptiveness)